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CBM-R Progress Monitoring Outcomes: Reliability and Validity of Slope Estimates Compared to 3, 4, and 5 Point Decision Rules


Reliability and Validity of Slope Estimates Compared to 3, 4, and 5 Point Decision Rules

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Our Plan & Whose in the Room

- Do you use progress monitoring data?
- Do you consider the data “noisy”?
- Do you have trouble estimating trends?


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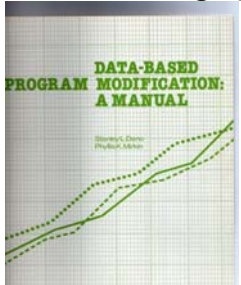
Curriculum Based Measurement (CBM)

- Assessment of academic skills that emphasizes direct measurement of academic behaviors
- Characterized by frequent measurement and short duration
- Rate of change over time is compared to an expected rate of progress
 - Estimates of Growth
 - Data Point Decision Rules


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Enter time series data & the single case design (The early 1970s)



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Data-Based Program Modification: A Manual (Deno & Mirkin, 1977)

- 1) As the present time we are unable to prescribe specific and effective changes to instruction for individual pupils with certainty. Therefore, changes in instructional programs which are arranged for an individual child can be treated only as hypotheses which must be empirically tested before a decision can be made on whether they are effective for that child (p. 11).



Data-Based Program Modification: A Manual (Deno & Mirkin, 1977)

- 2) Time series research designs are uniquely appropriate for testing instructional reforms (hypotheses) which are intended to improve individual performance (p. 11).
- 3) Special education is an intervention system, created to produce reforms in the educational programs of selected individuals, which can (and, now, with due process requirements, must) be empirically tested (p. 13).



Data-Based Program Modification: A Manual (Deno & Mirkin, 1977)

- 4) To apply time series designs to (special) educational reforms we need to specify the data representing the “vital signs” of educational development which can be routinely (frequently) obtained in and out of school (p. 14).



Data-Based Program Modification: A Manual (Deno & Mirkin, 1977)

- 5) Testing program modifications (reforms) requires well-trained professionals capable of using time series data analysis to draw valid conclusions about program effects (p. 15).



Evaluate Growth

- Compare to Expected Rate of Growth
 - Goal/Aimline Decision Rules
- Estimate Trend/Slope
 - Ordinary Least Squares Regression (OLS)
 - Split middle
 - Quarter Intersect
 - Split Middle



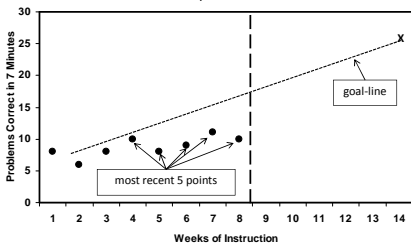
Data Point Decision Rules

- Alternative method to evaluating student progress
- If (3,4,5) most recent data points are:
- ABOVE the line keep current intervention,
 - increase goal
 - BELOW the line keep current goal,
 - modify instruction
 - Neutral – points are above and below the line
 - maintain current goal and instruction



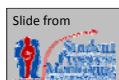
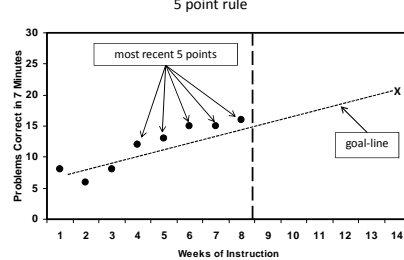
Decision Rules

National Center for Progress Monitoring
5 point rule





Decision Rules

National Center for Progress Monitoring
5 point rule





Use of Slope Estimates

SOMETHING ABOUT SLOPE ESTIMATES

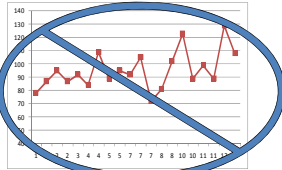
Progress Monitoring

- How many data points do I need to collect?
 - 10 Data Points (professional literature)
 - Shinn, M. R. (2002). Best practices in using curriculum-based measurement in a problem-solving model. In A. Thomas & J. Grimes (Eds.), *Best practices in school psychology*. (pp. 671-698). Bethesda, MD: National Association of School Psychologists.
 - **10 Weeks with 2 data points per week**
 - Christ, T. J. (2006). Short term estimates of growth using curriculum-based measurement of oral reading fluency: Estimates of standard error of the slope to construct confidence intervals. *School Psychology Review*, 35(1), 128-133.
 - Also
 - Good, R. H., & Shinn, M. R. (1990). Forecasting accuracy of slope estimates for reading curriculum-based measurement: Empirical evidence. *Behavioral Assessment*, 12(2), 179-193.
 - Shinn, M. R., Good, R. H., & Stein, S. (1989). Summarizing trend in student achievement: A comparison of methods. *School Psychology Review*, 18(3), 356-370.

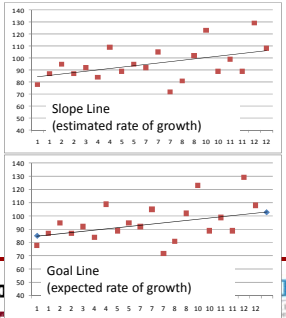
Estimating Progress



DO NOT Connect Data



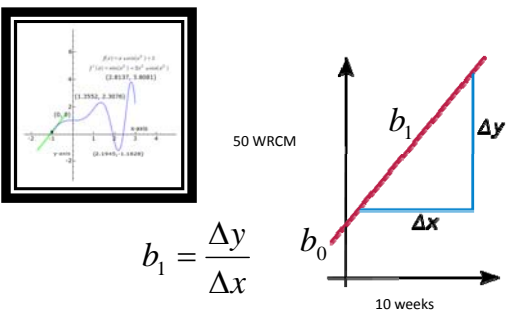
Each assessment is an **ESTIMATE** of reading achievement

Use Slope or Goal Line








What is slope?

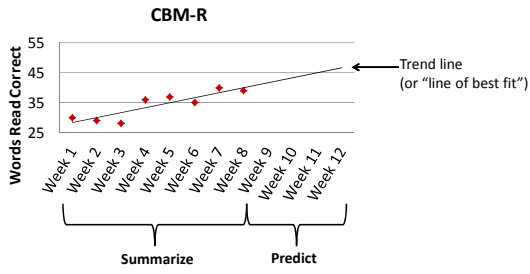


$$b_1 = \frac{\Delta y}{\Delta x}$$

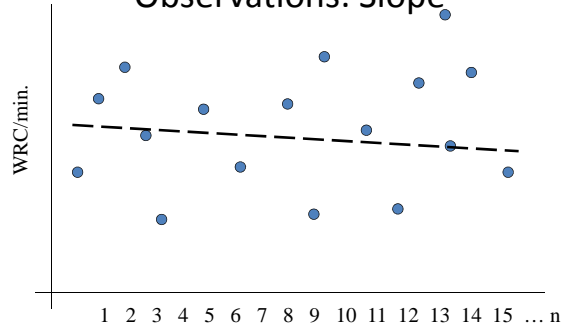
50 WRCM

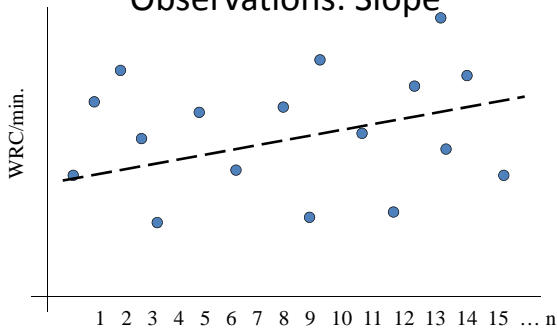
Uses of Estimates of Growth



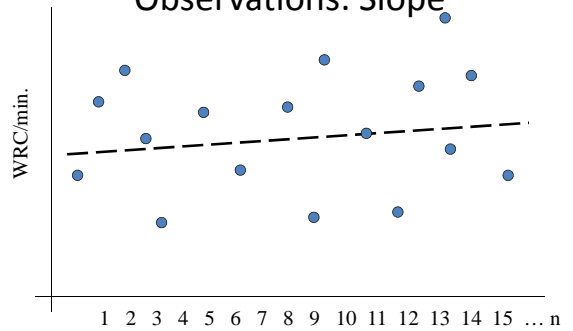
Observations: Slope

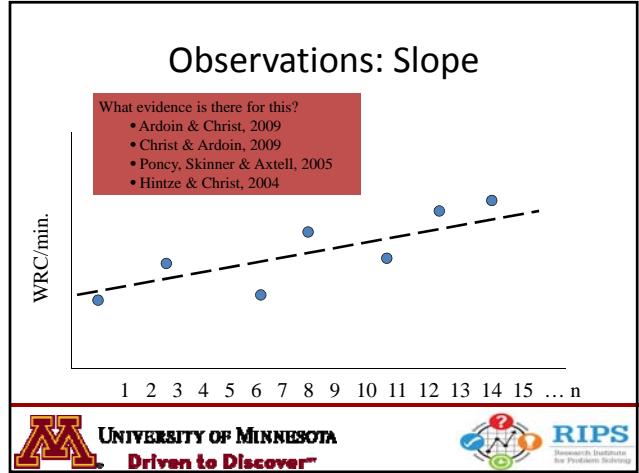
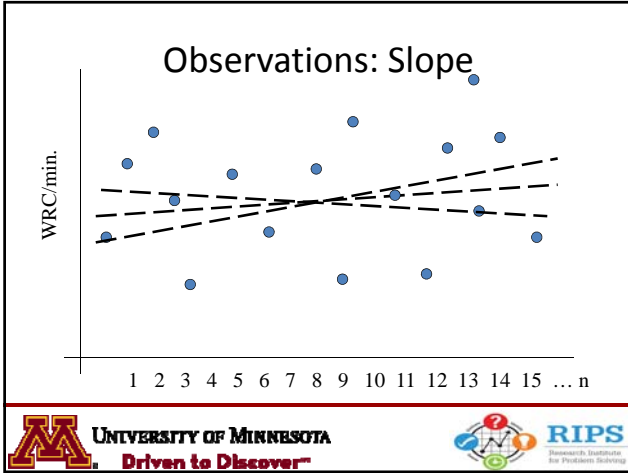


Observations: Slope



Observations: Slope





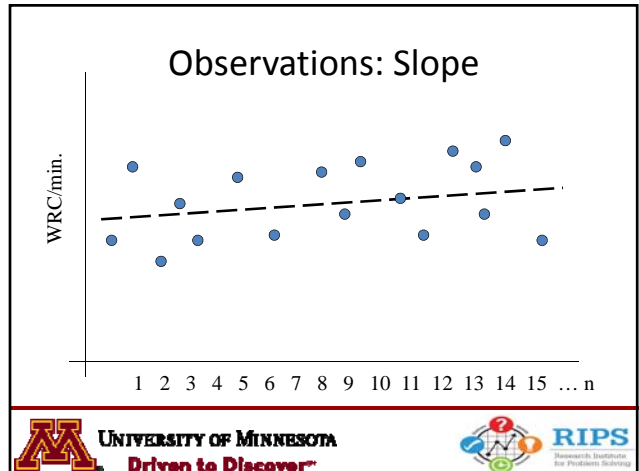
Ordinary Least Squares (OLS) Regression

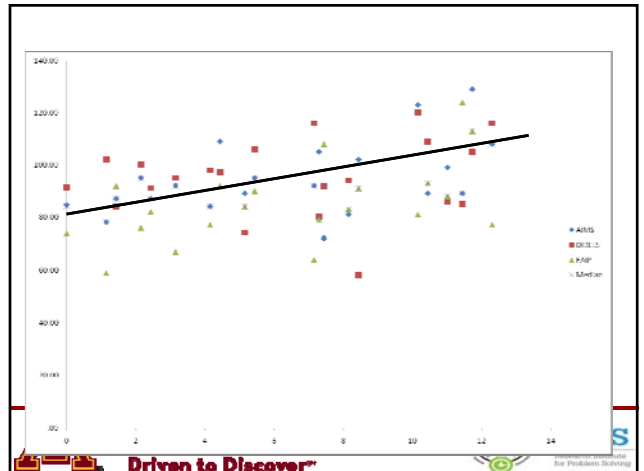
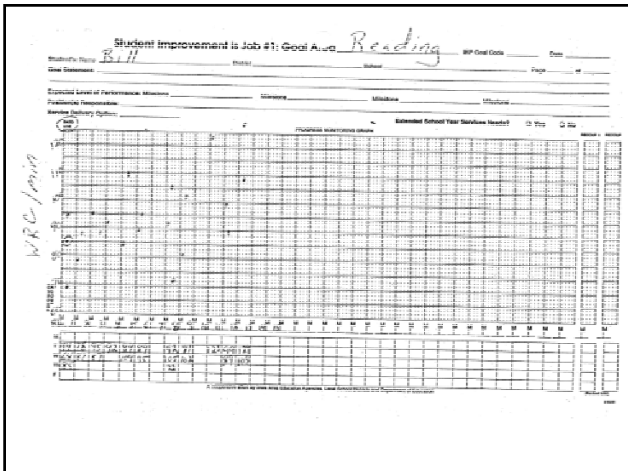
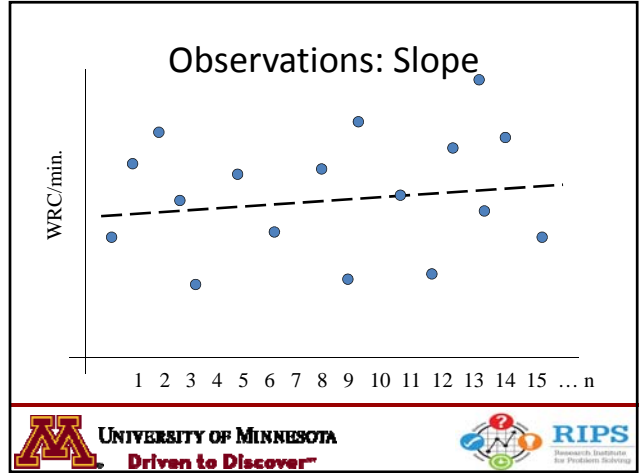
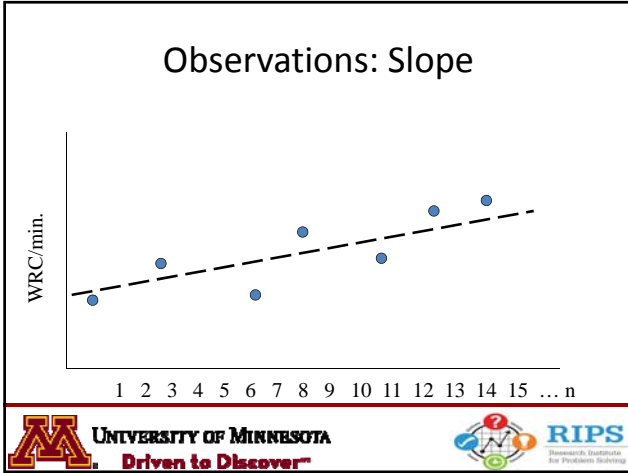
- OLS fits the data set with a monotonic linear model so that the residual is minimized
 - i.e. residual is the difference between point predictions and observed scores
- The residual is often conceptualized
 - as error in model or measurement
 - variability not explained in the model (linear growth), such as antecedent or environmental conditions

Shapiro (2004); Shinn, Good, & Stein (1989)

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RIPS
Research Institute for Problem Solving



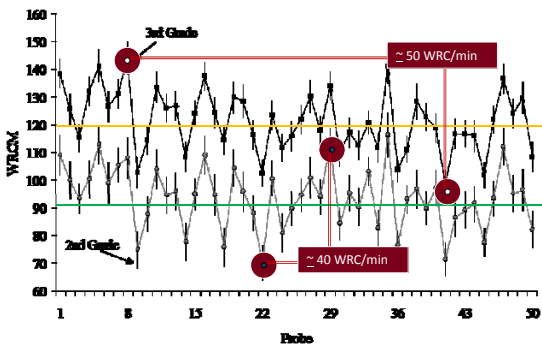


MEASUREMENT ERROR



Residual (Measurement) Error

- A variety of influences impact CBM-R outcomes including:
 - The characteristics of the administrator (Derr-Minneci & Shapiro, 1992)
 - Setting or location (Derr-Minneci, 1990)
 - Delivery of directions (Colon & Kranzler, 2006)
 - Instrumentation (Poncy, Skinner, & Axtell, 2005; Christ & Ardoin, 2009)
- Together these influences result in **measurement error** – or **residual in growth models**

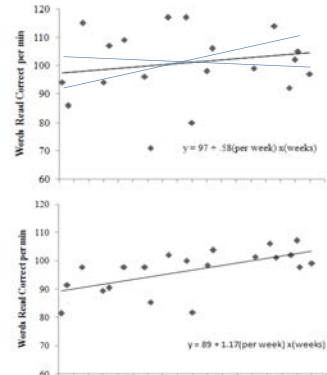


Christ, T. J., & Ardoin, S. P. (2009). Curriculum-based measurement of oral reading: Passage equivalence and prob-set development. *Journal of School Psychology, 47*, 55-75.



Define the Dependent Variables

- **Intercept** – intersection of line of best fit & y-axis
- **Slope** - weekly growth per 7 days
- Standard error of the slope (**SEb**) – relative imprecision of slope for weekly growth
- Standard error of the estimate (**SEE**) – relative impression of point predictions



Psychometrics

- **Standard Error of Measurement (SEM)**
 - amount an observed score is likely to fluctuate
 - Inversely proportional to the reliability of a test

$$SEM = SD_x \sqrt{1 - r_{xx}}$$

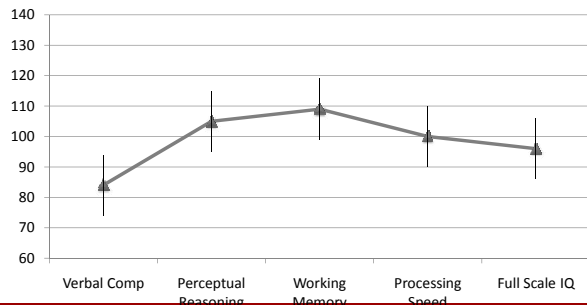
(we have successfully developed generic estimates of SEM within CTT)

Psychometrics

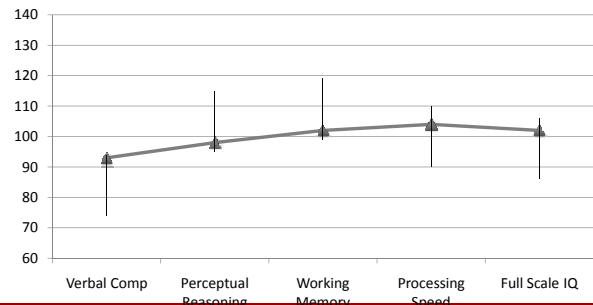
- **Confidence Interval**
 - band or range around the observed score in which the true score is most likely to fall
 - $CI \sim N(0, SEM)$
 - **CI(68%) = 1.00 * SEM +/- x**
 - CI(85%) = 1.44 * SEM +/- x
 - CI(90%) = 1.65 * SEM +/- x
 - **CI(95%) = 1.96 * SEM +/- x**
 - CI(99%) = 2.58 * SEM +/- x



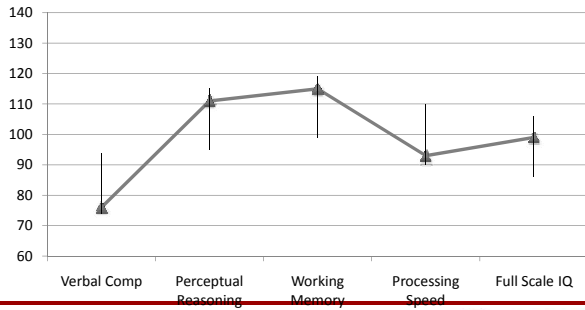
Self-Referenced: Profile Analysis



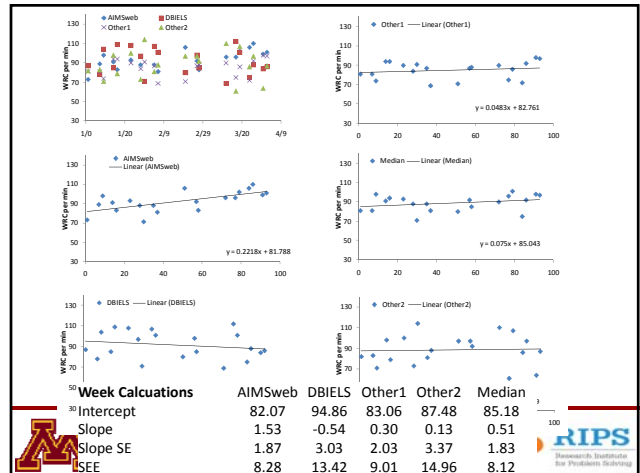
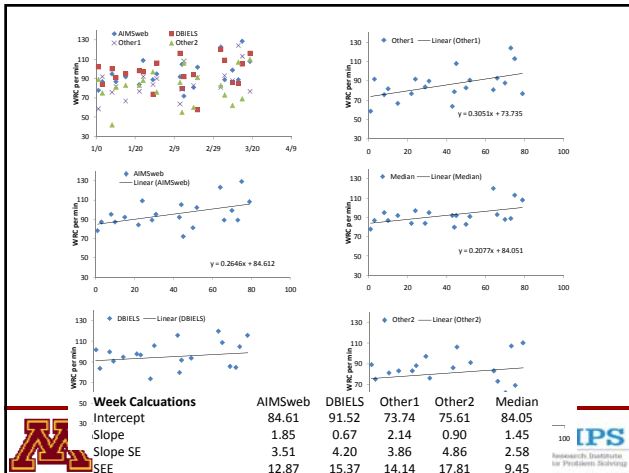
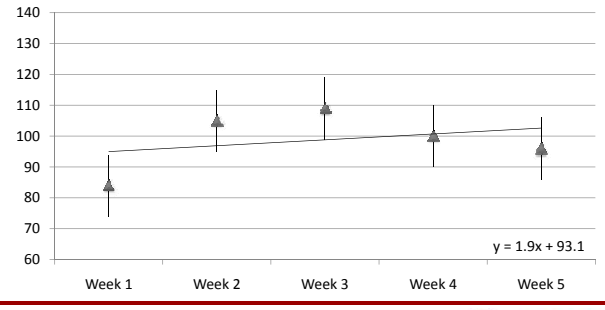
Self-Referenced: Profile Analysis

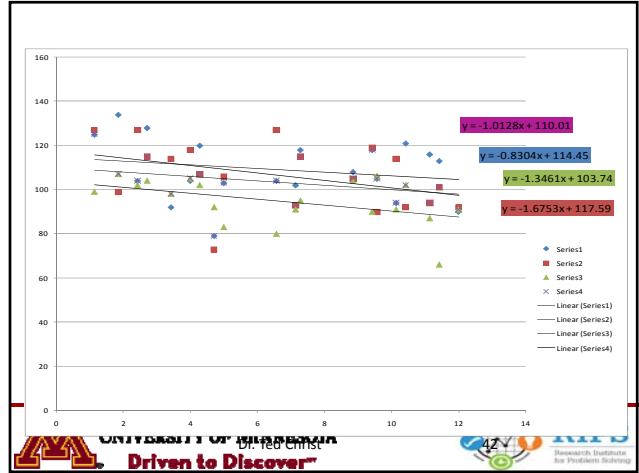
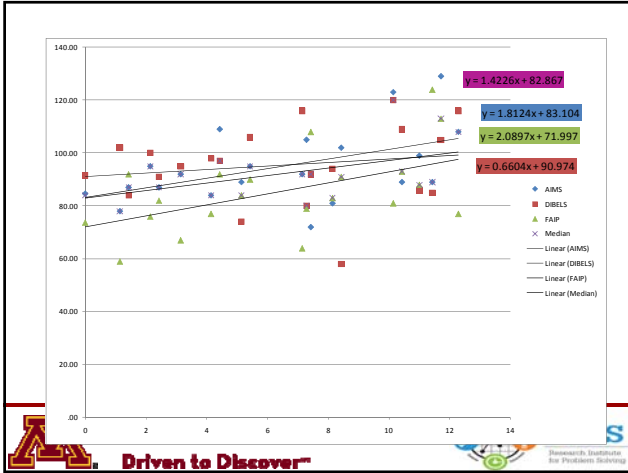


Self-Referenced: Profile Analysis



Self-Referenced: Progress Monitor





Comparing Methods of Slope Estimates

Shinn, Good, and Stein (1989)

- Compared predominate methods at the time
 - Ordinary least squares (OLS) regression
 - split-middle (SM) procedures
- Although equivalent accuracy was observed, **OLS provided significant increases in precision**

Comparing Methods of Slope Estimates

Good and Shinn (1990)

- Used moving root mean squared error (RMSE) and moving mean error (ME) to evaluate the forecasting accuracy of OLS and SM slope estimation
 - **RMSE** is an estimate of precision, where small values indicate more accurate predictions
 - **ME** is an estimate of bias, or the systematic over- or under-prediction of future performance

Comparing Methods of Slope Estimates

Estimation Method	Forecast Horizon		
	2 Weeks	4 Weeks	6 Weeks
Interpret Similar to Standard Error of the Estimate (SEE)			
Ordinary Least Squares			
10 Points	15.97 (6.68)	21.30 (8.72)	27.19 (12.76)
20 Points	11.42 (4.30)	13.33 (4.58)	15.71 (5.77)
30 Points	10.69 (4.12)	12.00 (4.50)	14.70 (5.68)
Split Middle			
10 Points	21.97 (10.68)	30.67 (15.43)	40.94 (20.47)
20 Points	13.86 (5.15)	17.52 (6.41)	21.01 (7.27)
30 Points	13.73 (4.91)	15.75 (5.29)	18.10 (5.79)

OLS consistently yielded superior estimates for all number of time points and forecast-horizon combinations

Good & Shinn (1990)



Knowns and Unknowns

Known

- OLS is more precise than Split Middle
- Neither does a good job with few data points

Unknown

- But how data points do we need to estimate growth and predict future performance?
- How do decision rules (3, 4, 5) compare?



Instrumentation, Conditions, and Number of Data Points

- Christ (2006)
 - Literature review conducted to obtain the range of SEE for CBM-R
 - Optimal – 2, 4, 6
 - Moderate – 8, 10, 12
 - Poor – 14, 16, 18
 - Number of data points & observation occasions
 - 2 through 15

Standard Error of the Slope Estimate (SEB) by Progress Monitoring Duration in Weeks

SEE ^a	Weeks of Progress Monitoring ^b														
	2	3	4	5	6	7	8	9	10	11	12	13	14	15	
Optimal^d															
2	1.84	0.97	0.62	0.44	0.34	0.27	0.22	0.18	0.16	0.13	0.12	0.10	0.09	0.08	
4	3.68	1.93	1.24	0.88	0.67	0.53	0.43	0.36	0.31	0.27	0.24	0.21	0.19	0.17	
6	5.51	2.90	1.86	1.33	1.01	0.80	0.65	0.55	0.47	0.40	0.35	0.31	0.28	0.25	
Moderate^d															
8	7.35	3.87	2.48	1.77	1.34	1.06	0.87	0.73	0.62	0.54	0.47	0.42	0.37	0.34	
10	9.19	4.48	3.11	2.21	1.68	1.33	1.09	0.91	0.78	0.67	0.59	0.52	0.47	0.42	
12	11.03	5.80	3.73	2.65	2.01	1.59	1.30	1.09	0.93	0.81	0.71	0.63	0.56	0.51	
Poor^d															
14	12.87	6.77	4.35	3.10	2.35	1.86	1.52	1.27	1.09	0.94	0.83	0.73	0.66	0.59	
16	14.71	7.74	4.97	3.54	2.68	2.13	1.74	1.46	1.24	1.08	0.94	0.84	0.75	0.68	
18	16.54	8.71	5.59	3.98	3.02	2.39	1.96	1.64	1.40	1.21	1.06	0.94	0.84	0.76	

Smaller magnitudes of SEB exist under "optimal" conditions and longer progress monitoring duration

^aEstimates based on the assumption that two data points are collected weekly.
^bReported for weekly standard errors of the slope ($SEB = SEE/SD_p + V_n$).
^cSEE is the average standard deviation in words read correctly per minute from predicted CBM-R performances along the line of best fit.
^dQualitative descriptor for measurement conditions based on author's subjective evaluation.

Christ (2006)



Standard Error Associated with Progress Monitoring

Ardoin and Christ (2009)

- evaluate progress monitoring outcomes for
 - **AIMSweb, DIBELS, FAIP** probe-sets
- Attending to
 - Intercept,
 - weekly estimates of growth (slope),
 - standard error of slope (SEb), &
 - standard error of estimate (SEE)

Ardoin, S. P., & Christ, T. J. (2009). Curriculum based measurement of oral reading: Standard errors associated with progress monitoring outcomes from DIBELS, AIMSweb, and an experimental passage set. *School Psychology Review, 38*(2), 266-283.



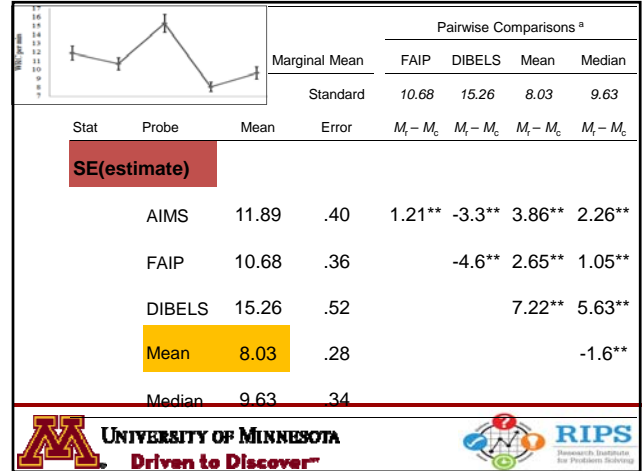
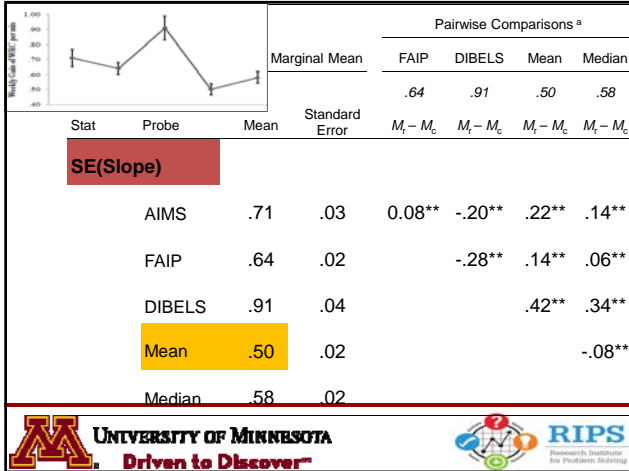
Table 1
Descriptive Statistics for Progress Monitoring Outcomes Across Three Passage Sets: Intercept, Weekly Growth, and Standard Error

Statistic	Passage Set	M	SD	Skewness	Kurtosis
Intercept	FAIP-R	84.81	29.92	0.01	1.00
	AIMSweb	94.29	33.14	0.06	1.21
	DIBELS	100.40	30.62	0.12	1.17
Slope	FAIP-R	1.36	1.15	0.48	0.71
	AIMSweb	1.79	1.35	0.52	0.62
	DIBELS	0.45	1.12	-0.13	0.09
SEb	FAIP-R	0.64	0.20	1.72	5.29
	AIMSweb	0.71	0.23	1.17	2.44
	DIBELS	0.91	0.29	0.91	1.03
SEE	FAIP-R	10.68	2.96	1.34	3.04
	AIMSweb	11.89	3.29	1.14	2.78
	DIBELS	15.26	4.27	0.86	0.84

Note. FAIP-R = Formative Assessment Instrumentation and Procedures for Reading; DIBELS = Dynamic Indicators of Basic Early Literacy Skills; SEb = standard error of slopes; SEE = standard error of the estimate. n (progress monitoring data set) = 68 within each probe set with a mean (SD) of 19.91 (0.41) number of observations per data set across a mean (SD) of 11.66 (0.77) weeks.

Stat	Probe	Mean	Standard Error	Pairwise Comparisons ^a			
				FAIP	DIBELS	Mean	Median
				85	100	93	93
				$M_t - M_c$	$M_t - M_c$	$M_t - M_c$	$M_t - M_c$
Intercept							
	AIMS	94	4	9.5**	-6.1**	1.3*	1.3*
	FAIP	85	4		-15.6**	-8.2**	-8.2**
	DIBELS	100	4			7.4**	7.4**
	Mean	93	4				-0.1
	Median	93	4				

Stat	Probe	Mean	Standard Error	Pairwise Comparisons ^a			
				FAIP	DIBELS	Mean	Median
				1.36	.45	1.25	1.25
				$M_t - M_c$	$M_t - M_c$	$M_t - M_c$	$M_t - M_c$
Slope							
	AIMS	1.79	.16	.43**	1.34**	.54**	.54**
	FAIP	1.36	.14		.91**	.11	.11
	DIBELS	.45	.14			-.80**	-.80**
	Mean	1.25	.13				.00
	Median	1.25	.14				



Where We Are Today..

Given the literature we can conclude:

- **Longer progress monitoring** durations reduce magnitude of Standard Error of the Slope Estimate (SEb)
- Smaller magnitudes of Standard Error of the Estimate (SEE) are likely to occur when we **optimize measurement conditions**
 - Standardize conditions for administration
 - Select optimal (equivalent) CBM-R passages
 - Collect multiple CBM-R on each occasion

Baseline

- Jenkins, Zumeta, Dupree, and Johnson (2005)
 - When four CBM-R passages were administered at baseline a 6-8 word standard error (SE) for the mean was found
 - The average 10 week gain was 11-13 words
 - **SE at baseline is more than half the average reading gain**
 - Conclusion: more than 3 or 4 passages may be required to confidently establish a baseline
- However, **essentially no procedures have been empirically supported for establishing a good baseline**

Big Questions...

- How do alternate data collection **schedules** and **durations** impact progress monitoring outcomes?
 - One CBMs-R weekly
 - 3 CBMs-R weekly
 - pre-post
- So, should we use decision rules instead?



50 Years of Research

- Ardoin et al. (in submission)
 - Identified research that evaluated the degree to which CBM-R decision rule(s) lead to accurate decision regarding the impact of intervention on individual students' growth.
 - Summarized published recommendations.
 - CBM-R instructional manuals and chapters related to problem solving and CBM were reviewed.

Ardoin, S. P., Morena, L. S., Christ, T. J., Cormier, D. C., & Klingbeil, D. A. (2010). *Exploring the evidence behind Curriculum Based Measurement of oral Reading (CBM-R) decision rules*. Manuscript submitted for publication.



Summary of Findings From a Review of 103 Documents

Document Type	Decision rule discussed ¹			Trend line discussed					Minimum # of data points ²									
	Data points	Trend line	Both	OLS	SM	Quarter intersect	Tukey	None	3	4	6	7	8	9	10			
Empirical	4	25	3	22	4	4	1	2	1	3	1	7	3	0	2			
Manual	8	9	18	10	4	2	2	12	4	5	7	4	8	2	3			

Conclusions:
 Almost no psychometric and empirical evaluation of decision rules.
 Very little on trend estimates.




Road Blocks to Data Collection

- True growth is unknown.
 - Jenkins, Graff, and Miglioretti (2009) used 29 CBM-R scores as a proxy for “true” growth estimate
 - With actual data, can only estimate “true” score
- Multiple factors create large numbers of interactions.
 - Datasets with very large N's are required




Reliability and Validity

GROWTH ESTIMATES VERSUS DATA POINT DECISION RULES




Research Question

- What is the relationship between true slopes and observed slopes derived from **one CBM-R per week** for
 - very good to very poor progress monitoring conditions
 - with very few (6) to very many weeks of data



Method

- **Sample**
 - Derive model parameters from large high quality progress monitoring dataset
 - Intercept (M, SD)
 - Slope (M, SD)
 - Residual
- **Simulate**
 - Simulate true and observed slope estimates



Minnesota Reading Core – Progress Monitoring Data Set


- 2nd grade (N=1517)
- 3rd grade (N=1561)
- 2% Special Education

Ethnicity

Ethnicity	Percentage
White	62%
Black	20%
Hispanic/Latino	9%
Asian/Pacific Islander	7%
Indian/Alaska Native	2%

Gender

Gender	Percentage
Male	54%
Female	46%



MN Reading Core AIMSweb Data & Simulation Parameters

	N	β_0 M (SE)	$SD(b_{0i})$ M	β_1 M (SE)	$SD(b_{1i})$ M	Residual (σ_e) M	Number of Time/Data Points Per case range
Datasets Grade 2	1517	31	11	1.6	0.66	10	3-31
Datasets Grade 3	1561	56	15	1.4	0.61	11	3-31
Simulation	9000 ^a (300 x 30)	40	12	1.5	0.63	5 to 20	6,8,10...20



Method

- **Independent Variables**
 - Residual (measurement) error (akin to SEE)
 - 20 very poor
 - 15 poor (old DIBELS)
 - 10 good (AIMSweb)
 - 5 very good (FAIP, we hope)
 - Number of Observations
 - 6, 8, 10 ... 20 observation occasions
 - Assume weekly progress monitoring



Methods

- **Dependent Variables**
 - Reliability
 - Squared correlation of true and observed slope estimates (this is also validity)
 - Corrected split half reliability
 - Root Mean Square Error (RMSE)
 - RMSE for all pairs of true and observed slope estimates

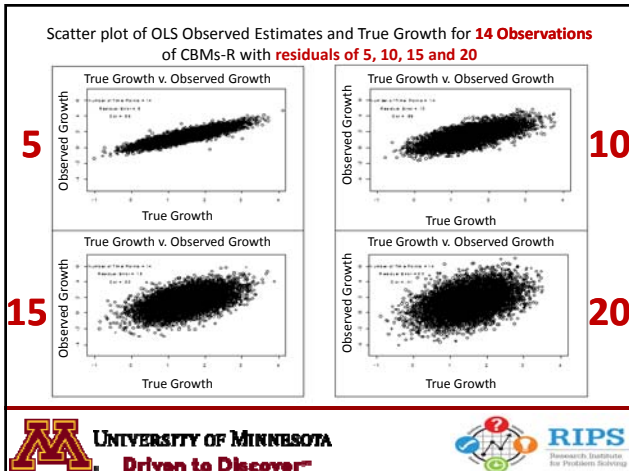
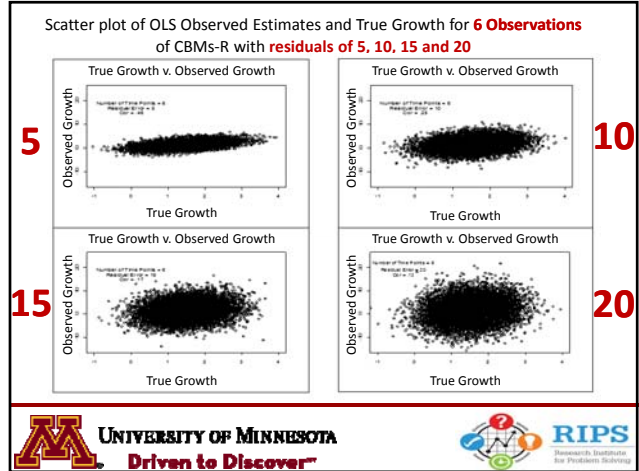
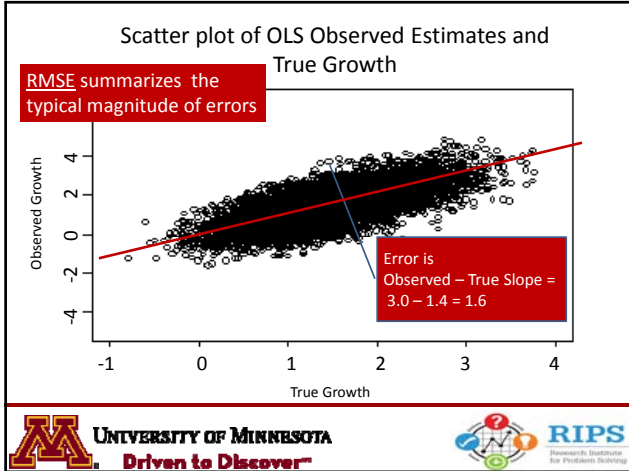


Root Mean Square Error (RMSE)

- Index of precision for observed estimates of growth
 - Smaller magnitudes RMSE correspond with more precise estimates (closer to true slopes)
- $RMSE \approx Standard\ error\ of\ slope\ (SEb)$
 - Can be used to construct confident intervals.

Christ, Zopluoglu, & Long (in submission)





Reliability /Validity:
Squared Correlations (True & Observed)

Methods of Growth Estimation	Dataset Quality Residual (ϵ_{ij}) =				Very Good			Good			Poor			Very Poor		
	OLS	Mdn	M		5	10	15	20	5	10	15	20	5	10	15	20
6	.21	.15	.13		.06	.04	.05	.03	.02	.02	.02	.01	.01			
8	.38	.33	.29		.14	.10	.12	.06	.04	.05	.04	.02	.03			
10	.56	.55	.44		.25	.18	.23	.14	.09	.13	.07	.05	.06			
12	.69	.69	.58		.35	.26	.32	.20	.14	.18	.12	.08	.10			
14	.78	.79	.68		.48	.34	.42	.28	.18	.23	.17	.10	.14			
16	.83	.84	.73		.57	.41	.49	.38	.26	.32	.23	.15	.18			
18	.88	.88	.78		.65	.48	.56	.45	.30	.36	.32	.20	.25			
20	.91	.92	.83		.72	.56	.63	.53	.36	.43	.40	.25	.30			

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Reliability: Corrected Split Half

Dataset Quality Residual (ϵ_{ij}) =	Very Good 5			Good 10			Poor 15			Very Poor 20		
	OLS	Mdn	M	OLS	Mdn	M	OLS	Mdn	M	OLS	Mdn	M
Number of Time/Data Points												
6	.28	.14 [†]	.19 [†]	.26	.04 [†]	.06 [†]	.24	.02 [†]	.02 [†]	.23	.01 [†]	.01 [†]
8	.38	.32 [†]	.39 [†]	.26	.11 [†]	.14 [†]	.24	.05 [†]	.07 [†]	.24	.03 [†]	.04 [†]
10	.53	.46 [†]	.54 [†]	.31	.19 [†]	.24 [†]	.24	.10 [†]	.13 [†]	.24	.06 [†]	.07 [†]
12	.66	.50	.60	.35	.26	.32	.29	.26	.28	.24	.24	.25
14	.76	.65	.74	.45	.36	.43	.33	.28	.30	.28	.24	.26
16	.83	.74	.81	.54	.43	.52	.36	.31	.35	.28	.26	.28
18	.88	.81	.86	.64	.52	.61	.46	.36	.43	.32	.30	.31
20	.91	.86	.90	.71	.61	.69	.52	.43	.50	.38	.31	.36



RMSE

Table 5. Root Mean Square Error for True and Observed Estimates of Growth

Dataset Quality Residual ($\hat{\epsilon}_{ij}$) =	Very Good 5			Good 10			Poor 15			Very Poor 20		
	OLS	Mdn	M	OLS	Mdn	M	OLS	Mdn	M	OLS	Mdn	M
Number of Time/Data Points												
6	1.19	1.62	1.37	2.38	3.16	2.72	3.58	4.72	4.07	4.73	6.24	5.37
8	.77	.95	.81	1.55	1.90	1.64	2.27	2.81	2.41	3.06	3.77	3.24
10	.54	.68	.58	1.09	1.33	1.16	1.62	2.00	1.70	2.20	2.70	2.34
12	.41	.52	.44	.83	1.05	.89	1.25	1.58	1.35	1.65	2.09	1.79
14	.32	.42	.36	.65	.86	.73	.98	1.29	1.11	1.32	1.72	1.47
16	.27	.37	.31	.53	.72	.62	.80	1.08	.93	1.08	1.44	1.24
18	.23	.32	.27	.45	.63	.54	.68	.95	.82	.89	1.24	1.06
20	.19	.28	.24	.38	.55	.48	.58	.83	.72	.77	1.11	.96

Note. Standard error of estimated values < .05. OLS – Ordinary Least Square, Mdn – moving median, M – moving mean

Christ, Zopluoglu, & Long (in submission)



Conclusions

- Important to **optimize conditions & passages**
- OLS estimates based on fewer than **14 data points are likely to be insufficient**
 - Reliabilities with 14 data points were .76 (very good), .46 (good), .33 (poor), .28 (very poor)
- **OLS slightly better than moving mean**
 - Cost benefit analysis how to allocate resources
 - Pre-post assessments might be superior (but we don't know that for sure; see Jenkins, 2009)



Research Question

- **Observed:** Moving mean did pretty well in previous study.
- **Question:** What is the relationship between true slopes and observed slopes derived **pre-post datasets**
 - very good to very poor progress monitoring conditions
 - with very few weeks (6 weeks) of intervention to very many weeks of intervention (20 weeks)



Method

- **Independent Variables**
 - Residual (measurement) error
 - 20 very poor
 - 15 poor (old DIBELS)
 - 10 good (AIMSweb)
 - 5 very good (FAIP, we hope)
 - Number of Observations and Weeks of Intervention
 - 3 observation on each of two occasions
 - Pre-post assessments 6 to 20 weeks apart



Reliability for Weekly & PP

Table 4.
Split-Half Reliability of Observed Estimates of Growth

Weekly Progress Monitoring

Dataset Quality Residual Error (ϵ_{ij}) =	Very Good 5			Good 10			Poor 15			Very Poor 20		
	OLS	Mdn	M	OLS	Mdn	M	OLS	Mdn	M	OLS	Mdn	M
Number of Time/Data Points												
6	.28	.14 ¹	.19 ¹	.26	.04 ¹	.06 ¹	.24	.02 ¹	.02 ¹	.23	.01 ¹	.01 ¹
8	.38	.32 ¹	.39 ¹	.26	.11 ¹	.14 ¹	.24	.05 ¹	.07 ¹	.24	.03 ¹	.04 ¹
10	.53	.46 ¹	.54 ¹	.31	.19 ¹	.24 ¹	.24	.10 ¹	.13 ¹	.24	.06 ¹	.07 ¹
12	.66	.50	.60	.35	.26	.32	.29	.26	.28	.24	.24	.25
14	.76	.65	.74	.45	.36	.43	.33	.28	.30	.28	.24	.26
16	.83	.74	.81	.54	.43	.52	.36	.31	.35	.28	.26	.28
18	.88	.81	.86	.64	.52	.61	.46	.36	.43	.32	.30	.31
20	.91	.86	.90	.71	.61	.69	.52	.43	.50	.38	.31	.36

Note. Split half reliability estimates corrected with Spearman Brown. Standard error of estimated values < .16. OLS = Ordinary Least

Pre-Post Monitoring

Dataset Quality Residual Error (ϵ_{ij}) =	Very Good 5		Good 10		Poor 15		Very Poor 20	
	PP-Mdn	PP-M	PP-Mdn	PP-M	PP-Mdn	PP-M	PP-Mdn	PP-M
Number of Time/Data Points								
6	.27	.30	.08	.09	.04	.04	.02	.02
8	.40	.43	.15	.17	.07	.08	.04	.05
10	.52	.57	.22	.24	.12	.13	.07	.08
12	.63	.67	.29	.31	.16	.18	.10	.11
14	.70	.73	.37	.40	.21	.24	.13	.14
16	.76	.79	.44	.48	.27	.29	.16	.18
18	.81	.84	.49	.53	.31	.35	.20	.22
20	.82	.84	.56	.60	.36	.40	.24	.27

Reliability for Weekly & PP

Pre-Post Monitoring

Dataset Quality Residual Error (ϵ_{ij}) =	Very Good 5		Good 10		Poor 15		Very Poor 20	
	PP-Mdn	PP-M	PP-Mdn	PP-M	PP-Mdn	PP-M	PP-Mdn	PP-M
Number of Time/Data Points								
6	.27	.30	.08	.09	.04	.04	.02	.02
8	.40	.43	.15	.17	.07	.08	.04	.05
10	.52	.57	.22	.24	.12	.13	.07	.08
12	.63	.67	.29	.31	.16	.18	.10	.11
14	.70	.73	.37	.40	.21	.24	.13	.14
16	.76	.79	.44	.48	.27	.29	.16	.18
18	.81	.84	.49	.53	.31	.35	.20	.22
20	.82	.84	.56	.60	.36	.40	.24	.27



Research Question

- What is the relationship between true slopes and observed slopes derived from **three CBMs-R per week** for
 - very good to very poor progress monitoring conditions
 - with very few (6) to very many weeks (20) of data



RMSE for Weekly & PP

Table 5.

Root Mean Square Error for True and Observed Estimates of Growth

Weekly Progress Monitoring												
Dataset Quality Residual (ϵ_{ij}) =	Very Good 5			Good 10			Poor 15			Very Poor 20		
	OLS	Mdn	M	OLS	Mdn	M	OLS	Mdn	M	OLS	Mdn	M
Number of Time/Data Points												
6	1.19	1.62	1.37	2.38	3.16	2.72	3.58	4.72	4.07	4.73	6.24	5.37
8	.77	.95	.81	1.55	1.90	1.64	2.27	2.81	2.41	3.06	3.77	3.24
10	.54	.68	.58	1.09	1.33	1.16	1.62	2.00	1.70	2.20	2.70	2.34
12	.41	.52	.44	.83	1.05	.89	1.25	1.58	1.35	1.65	2.09	1.79
14	.32	.42	.36	.65	.86	.73	.98	1.29	1.11	1.32	1.72	1.47
16	.27	.37	.31	.53	.72	.62	.80	1.08	.93	1.08	1.44	1.24
18	.23	.32	.27	.45	.63	.54	.68	.95	.82	.89	1.24	1.06
20	.19	.28	.24	.38	.55	.48	.58	.83	.72	.77	1.11	.96

Note: Standard error of estimated values < .05. OLS = Ordinary Least Square, Mdn = moving median, M = moving mean

Pre-Post Monitoring												
Dataset Quality Residual Error (ϵ_{ij}) =	Very Good 5			Good 10			Poor 15			Very Poor 20		
	PP-Mdn	PP-M	PP-Mdn	PP-M	PP-Mdn	PP-M	PP-Mdn	PP-M	PP-Mdn	PP-M	PP-Mdn	PP-M
Number of Time/Data Points												
6	1.09	1.02	2.20	2.05	3.30	3.07	4.44	4.13				
8	0.79	0.74	1.56	1.46	2.35	2.18	3.15	2.94				
10	0.62	0.57	1.22	1.14	1.83	1.70	2.44	2.28				
12	0.50	0.47	1.01	0.95	1.50	1.41	1.99	1.86				
14	0.42	0.39	0.85	0.79	1.28	1.18	1.71	1.59				
16	0.37	0.34	0.73	0.68	1.08	1.01	1.46	1.37				
18	0.32	0.30	0.64	0.60	0.97	0.90	1.31	1.22				
20	0.29	0.27	0.58	0.54	0.87	0.81	1.16	1.08				

Split Half Reliability Summary of 3 Studies

Dataset Quality Residual (ϵ_{ij}) =	Very Good 5			Good 10		
	1 CBM OLS	3 CBM OLS	3 CBM PP-M	1 CBM OLS	3 CBM OLS	3 CBM PP-M
Number of Time/Data Points						
6	0.28	0.33	0.30	0.26	0.26	0.09
8	0.38	0.53	0.43	0.26	0.29	0.17
10	0.53	0.68	0.57	0.31	0.38	0.24
12	0.66	0.80	0.67	0.35	0.50	0.31
14	0.76	0.87	0.73	0.45	0.60	0.40
16	0.83	0.91	0.79	0.54	0.70	0.48
18	0.88	0.93	0.84	0.64	0.77	0.53
20	0.91	0.95	0.84	0.71	0.83	0.60



RMSE: Summary of 3 Studies

Dataset Quality Residual (ϵ_{ij}) =	Very Good 5			Good 10		
	1 CBM OLS	3 CBM OLS	3 CBM PP-M	1 CBM OLS	3 CBM OLS	3 CBM PP-M
Number of Time/Data Points						
6	1.2	0.9	1.0	2.4	1.7	2.1
8	0.8	0.6	0.7	1.6	1.1	1.5
10	0.5	0.4	0.6	1.1	0.8	1.1
12	0.4	0.3	0.5	0.8	0.6	1.0
14	0.3	0.2	0.4	0.7	0.5	0.8
16	0.3	0.2	0.3	0.5	0.4	0.7
18	0.2	0.2	0.3	0.5	0.3	0.6
20	0.2	0.1	0.3	0.4	0.3	0.5

So what is next?

- It is difficult to establish a reliable and precise estimates of slope.
- Lots of data are necessary
- Do decision rules function better?



Challenges

- We need an alternate approach to analysis.
 - No model fit estimates, like SEb or SEE, for decision rules
 - This delayed – and maybe precluded – such examination of decision rules



DIAGNOSTIC ACCURACY & ROC ANALYSIS

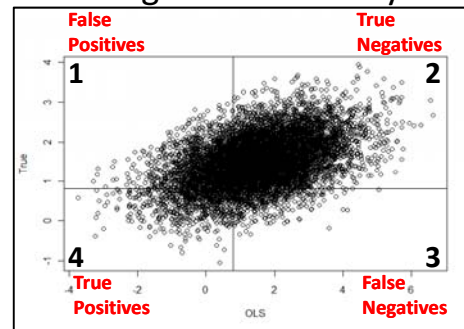


Diagnostic Accuracy

- Estimation of the proportion accurate (true) and inaccurate (false) classifications
- Four possible outcomes:
 - True Positive (TP)
 - True Negative (TN)
 - False Positive (FP)
 - False Negative (FN)



Diagnostic Accuracy



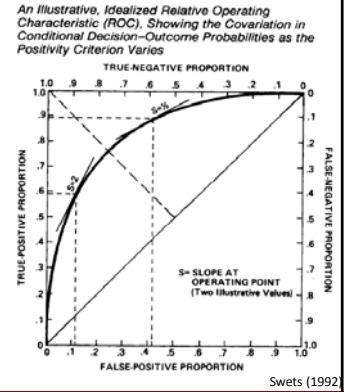
Classifications Example

- Melanoma testing
 - TP – positive test in which the individual truly *has* the ailment
 - TN – negative test in which the individual is truly *free* of the ailment
 - FP – positive test in which the individual is truly *free* of the ailment
 - FN – negative test in which the individual truly *has* the ailment



The ROC Curve

- Graphical depiction of the proportions of TP, TN, FP and FN

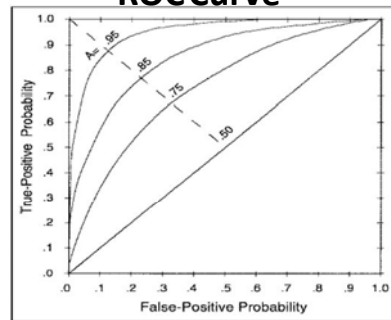


ROC Terms

- Sensitivity (True Positive Rate)
- Specificity (True Negative Rate)
- Positive Predictive Power
- Negative Predictive Power
- Kappa
- Area Under the Curve (AUC or A)



ROC Curve



If area under the curve is .5 or less, it means we do not predict more than chance



Area Under the Curve (AUC)

- Values always between 0.00 and 1.00
 - Need to be greater than 0.50
- Value classifications:
 - Excellent: 0.90 to 1.00 → High – stakes Decisions
 - Good: 0.80 to 0.89 → Moderate – stakes Decisions
 - Fair: 0.70 to 0.79 → Low – stakes Decisions
 - Poor: 0.60 to 0.69

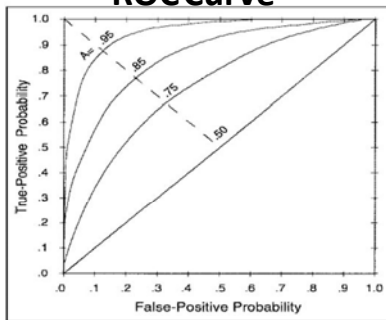


Diagnostic Accuracy Standards National Center for RTI (2010)

- Used to evaluate benchmark and screening measures
 - Convincing evidence – **AUC of 0.85**
 - Somewhat convincing evidence – **AUC of 0.75**
- Must use sufficient methods to establish decision thresholds in order to effectively identify students at-risk (e.g., 20th percentile)



ROC Curve



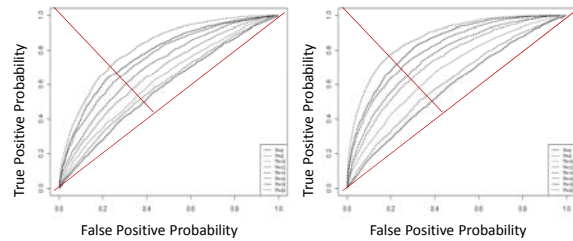
If area under the curve is .5 or less, it means we do not predict more than chance



Receiver Operator Curves (ROC)

Very Poor (Residuals = 20)

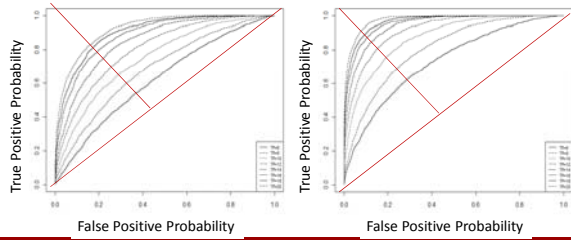
Poor (Residuals = 15)



Receiver Operator Curves (ROC)

Good (Residuals = 10)

Very Good (Residuals = 5)



Area Under the Curve (AUC)

Dataset Quality Residual (ϵ_j) =	Very Good 5			Good 10			Poor 15			Very Poor 20		
Methods of Growth Estimation	3 Pnt	5 Pnt	OLS	3 Pnt	5 Pnt	OLS	3 Pnt	5 Pnt	OLS	3 Pnt	5 Pnt	OLS
Number of Time/Data Points												
6	.61	.57	.75	.55	.53	.63	.53	.52	.59	.53	.52	.58
8	.63	.59	.81	.57	.55	.70	.54	.53	.63	.54	.53	.61
10	.67	.62	.88	.60	.57	.76	.57	.54	.68	.55	.54	.63
12	.69	.66	.92	.61	.60	.81	.57	.56	.73	.56	.55	.67
14	.71	.68	.95	.62	.60	.85	.58	.57	.77	.57	.56	.72
16	.73	.71	.96	.65	.62	.89	.61	.60	.82	.56	.55	.76
18	.74	.74	.97	.65	.65	.91	.61	.61	.84	.58	.58	.78
20	.76	.77	.98	.67	.66	.93	.63	.62	.88	.61	.60	.82



Conclusion

- Diagnostic accuracy of decision rules are worse than OLS
- Collect 3 CBMs-R per occasion for 14 Weeks
 - or collect a minimum of 14 CBMs-R for an abbreviated duration
 - Use OLS and plot all data point (don't take the mean or median if multiple are administered within a day)
- Yet to evaluate Jenkins (2009) recommendations for intermittent progress monitoring



Challenges

- No other research like this for progress monitoring practices
- Difficult to convey information
 - Very technical
 - Finding the perfect balance
- Implications
 - May change "Best Practices" for progress monitoring



Where We Are Going...

- More research (Simulation and Actual Data) is necessary
- What proportion of the time are we making judgments that are wrong?
 - Inform instruction/intervention
- Optimal progress monitoring practices



OTHER PROJECTS



CBAS

- Computer-Based Assessment System
- Online database
 - Reading
 - Over 600 items with parameters
 - Computer Adaptive
 - Math
 - Developing Items
 - Begin data collection this Spring



<http://www.cehd.umn.edu/EdPsych/C-BAS-R>



FAIP

- Formative Assessment Instrumentation and Procedures
- Optimal set of CBM-R progress monitoring materials
- Online system (recent data collection)
 - Audio recording
 - Error coding
 - Inter-rater reliability



<http://www.cehd.umn.edu/EdPsych/FAIP-R/>



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